

# Professor Elizabeth Strouse

University of Bordeaux, France

Thursday, October 27, 2016

Rm 277 WCharlton Hall

4 – 5 pm

## *Special matrices and measures, Eigenvalues, and integrals*

Toeplitz operators (with giant Toeplitz matrices) on  $\ell^2(\mathbb{N})$  can be interpreted as compositions of multiplications (by a 'symbol' function  $f$ ) and orthogonal projections. The Szegő limit theorems describe a relationship between the spectrum of compressions of these operators to finite dimensional subspaces - the sequences of length  $n$  - and the integral of the symbol. Recently a survey by Donald Sarason aroused much interest in 'truncated Toeplitz operators' on 'model spaces'. Model spaces are subspaces of  $\ell^2(\mathbb{N})$  which 'generalize' the finite sequence spaces; and truncated Toeplitz are generalizations of Toeplitz matrices. I will speak about these operators and Szegő -type theorems which hold for them.

### REFERENCES

- [1] SARASON, D. Algebraic properties of truncated Toeplitz operators. *Oper. Matrices* 1 (2007), 491–526.
- [2] STROUSE, E., TIMOTIN, D. , ZARRABI, M A Szegő type theorem for truncated Toeplitz operators. *preprint* (2017).

Refreshments will be served 3:15 – 3:45 pm in the Faculty & Graduate Student Lounge  
Rm 4118 French Hall West